

High data rate MmmWave applications

High bandwidth mmWave channels are frequency selective

Most of prior work on SP for mmWave is narrowband

mmWave V2X

Download multimedia data 100x Mbps - Gbps

Downloading high-definition 3D map data (~Gbyte)

Sharing local sensors information ~ 100x Mbps

Virtual reality

high-resolution multi-view video in real-time (>6Gbps) without HDMI cables ...

mmWave cellular

Strong interference happens much less often

Sidelobe interference weaker

20 x gain

2 x gain

Signal processing challenges @mmWave

of papers on SP for mmWave

NARROWBAND

- HYBRID PRECODING AND COMBINING
- CHANNEL ESTIMATION IN HYBRID ARCHITECTURES
- CHANNEL ESTIMATION WITH LOW RESOLUTION ADCS
- CHANNEL ESTIMATION & HYBRID PRECODING FOR BROADBAND

Freq. selective hybrid precoding

Received signal at subcarrier $k \rightarrow \mathbf{y}[k] = \mathbf{H}[k]\mathbf{F}_{\text{RF}}\mathbf{F}[k]\mathbf{s}[k] + \mathbf{n}[k]$

RF precoding in the time domain – common for all subcarriers

Baseband precoding can be designed per subcarrier

Wideband channel estimation

Challenges

- Find effective compressed estimation strategies with very low overhead
- Clear overhead comparison with beam training strategies

Compressive time domain solution [3]

Stack M measurements

Measurement 1: $\mathbf{y}^{(1)} = \sqrt{\rho}(\mathbf{S}^{(1)} \otimes \mathbf{f}_1^T \otimes \mathbf{w}_1^*) (\mathbf{I}_{N_c} \otimes \bar{\mathbf{A}}_{\text{tx}} \otimes \mathbf{A}_{\text{rx}}) \boldsymbol{\Gamma} \mathbf{x} + \mathbf{e}^{(1)}$

Measurement M : $\mathbf{y}^{(M)} = \sqrt{\rho}(\mathbf{S}^{(M)} \otimes \mathbf{f}_M^T \otimes \mathbf{w}_M^*) (\mathbf{I}_{N_c} \otimes \bar{\mathbf{A}}_{\text{tx}} \otimes \mathbf{A}_{\text{rx}}) \boldsymbol{\Gamma} \mathbf{x} + \mathbf{e}^{(M)}$

Solve a sparse recovery problem

Random beamforming matrices

Dictionary with columns $\mathbf{a}_{\text{Tx}}^s(\phi_x) \otimes \mathbf{a}_{\text{R}}(\tilde{\theta}_y)$

Sparse vector containing the channel coefficients

Quantized grid of AoA/AoD

Wideband channel model

Time domain

Pulse shaping filter evaluated at the delays of each cluster **USUALLY NEGLECTED**

$$\mathbf{H}_d = \sqrt{\frac{N_r N_t}{L}} \sum_{\ell=1}^L \alpha_{\ell} p_{\text{rc}}(dT_s - \tau_{\ell}) \mathbf{a}_{\text{R}}(\phi_{\ell}) \mathbf{a}_{\text{T}}^*(\theta_{\ell})$$

Complex gains for the L clusters

TX and RX array response vectors

Frequency domain

N_c is the delay tap length

$$\mathbf{H}[k] = \sqrt{\frac{N_r N_t}{L}} \sum_{\ell=1}^L \alpha_{\ell} \beta_{k,\ell} \mathbf{a}_{\text{R}}(\phi_{\ell}) \mathbf{a}_{\text{T}}^*(\theta_{\ell})$$

Finding the precoders with perfect or imperfect CSI

Formulation in the SU scenario

Perfect CSI: Design the hybrid precoders to maximize mutual information [1]

$$\{\mathbf{F}_{\text{RF}}^*, \{\mathbf{F}^*[k]\}_{k=1}^K\} = \arg \max_{\mathbf{F}_{\text{RF}}, \{\mathbf{F}[k]\}_{k=1}^K} \frac{1}{K} \sum_{k=1}^K \log_2 |\mathbf{I}_{N_{\text{MS}}} + \frac{\rho}{N_{\text{S}}} \mathbf{H}[k] \mathbf{F}_{\text{RF}} \mathbf{F}[k] \mathbf{F}[k]^* \mathbf{F}_{\text{RF}}^* \mathbf{H}[k]^*|$$

s.t. $[\mathbf{F}_{\text{RF}}]_{:,r} \in \mathcal{F}_{\text{RF}}, r = 1, \dots, N_{\text{RF}}$

RF precoders are taken from quantized codebooks (hardware constraints)

Unitary power constraint

Total power constraint also possible $\sum_{k=1}^K \|\mathbf{F}_{\text{RF}} \mathbf{F}[k]\|_F^2 = KN_{\text{S}}$

Formulation in a MU scenario

Imperfect CSI: Design the hybrid precoders from the covariance [2]

MIMO -FDM system

BB precoder for user i subband k

postcombining rx signal user for user j

$$\mathbf{y}_j[k] = \mathbf{H}_j[k] \sum_{i=1}^U \mathbf{P}_{\text{RF}} \mathbf{P}_{\text{BB}}^i[k] \mathbf{s}_i[k] + \mathbf{n}_j \quad \hat{\mathbf{s}}_j[k] = \mathbf{W}_{\text{BB}}^{j,H}[k] \mathbf{W}_{\text{RF}}^{j,H} \mathbf{y}_j[k]$$

- Design downlink hybrid combiners using covariance estimates and MSE
- Use reciprocity to find the precoders during the uplink phase
- Decompose the precoders combiners using an iterative method that alternates between RF and BB updates

Frequency domain solution [4]

measurements

$$\begin{bmatrix} \mathbf{r}^{(1)}[k] \\ \mathbf{r}^{(2)}[k] \\ \vdots \\ \mathbf{r}^{(M)}[k] \end{bmatrix} = \sqrt{\rho} \begin{bmatrix} \Phi^{(1)} \\ \Phi^{(2)} \\ \vdots \\ \Phi^{(M)} \end{bmatrix} \boldsymbol{\Psi} \mathbf{h}_c[k] + \mathbf{n}[k]$$

$\Phi^{(m)} = (\mathbf{f}_{\text{tr}}^{(m)T} \otimes \mathbf{W}_{\text{tr}}^{(m)*}) \in \mathbb{C}^{L_r \times N_t N_r}$

Sparse vector containing the channel coefficients

Exploit common support between subcarriers

$\boldsymbol{\Psi} = (\bar{\mathbf{A}}_{\text{T}} \otimes \bar{\mathbf{A}}_{\text{R}}) \in \mathbb{C}^{N_t N_r \times G_r G_t}$

References to on going work

- [1] A. Alkhateeb and R.W. Heath Jr., "Frequency selective hybrid precoding for limited feedback millimeter wave systems," IEEE Transactions on Communications, 2016
- [2] José P. González-Coma, Nuria González-Prelcic, Luis Castedo and Robert W. Heath Jr., "Frequency selective multiuser hybrid precoding for mmWave systems with imperfect channel knowledge", Asilomar 2016
- [3] K. Venugopal, A. Alkhateeb, N. González Prelcic, and R.W. Heath, Jr., "Channel Estimation for Hybrid Architecture Based Wideband Millimeter Wave Systems", submitted to IEEE JSAC, 2016
- [4] J. Rodríguez-Fernández, K. Venugopal, N. González Prelcic, and R.W. Heath, Jr., "A Frequency-Domain Approach to Wideband Channel Estimation in Millimeter Wave Systems", submitted to ICC 2017.